

Heterogeneous Treatment Effects Estimation for Staggered Difference-in-Differences Designs in Repeated Cross-Sections

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Thanks

- Anjelica Gangaram – University of Michigan

- IIT Bombay and esp. Souvik Banerjee

Thanks



Thanks



Thanks



Deb

Staggered DID

March 2026

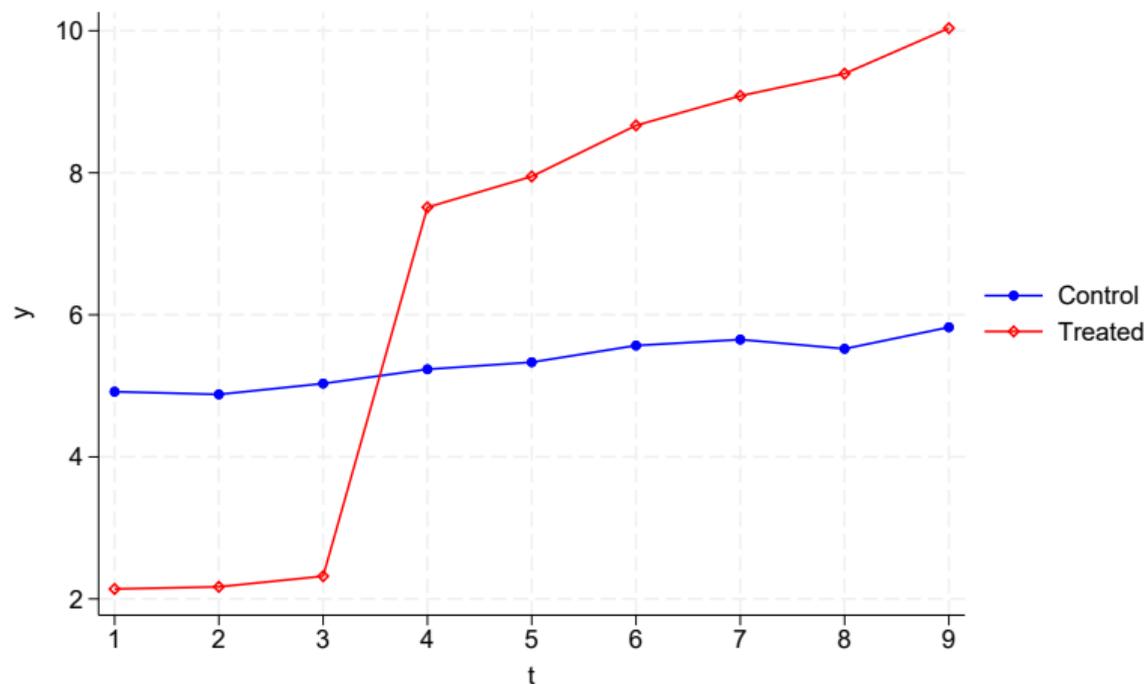
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Thanks



Difference-in-Differences

- The difference-in-differences (DID) study design is an important policy analysis tool.



Two-way Fixed Effects

- The workhorse specification assumes a static homogeneous effect (SHo) – inappropriately labeled TWFE:

$$E(Y_{it} | R_g, P_t, \mathbf{x}_{it}) = \tau Z_{it} + \sum_{g=1}^G \beta_g R_g + \sum_{t=1}^T \eta_t P_t + \mathbf{x}_{it} \zeta$$

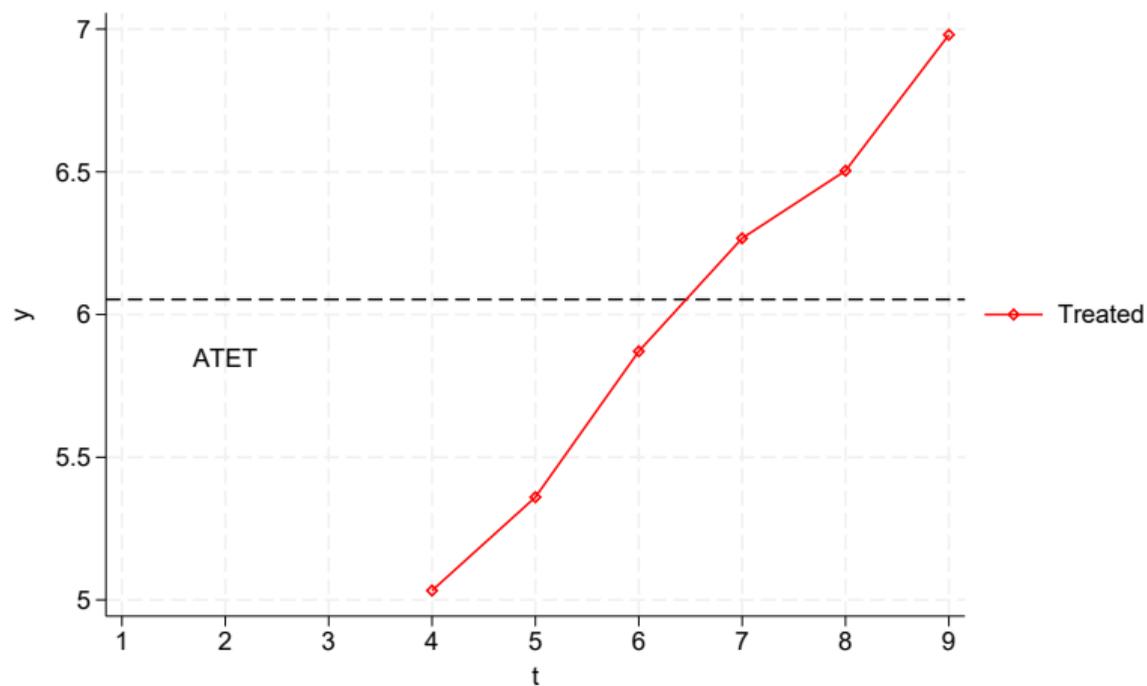
Z_{it} is an indicator for treatment at the individual level

R_g is the set of group fixed effects

P_t is the set of time (period) fixed effects

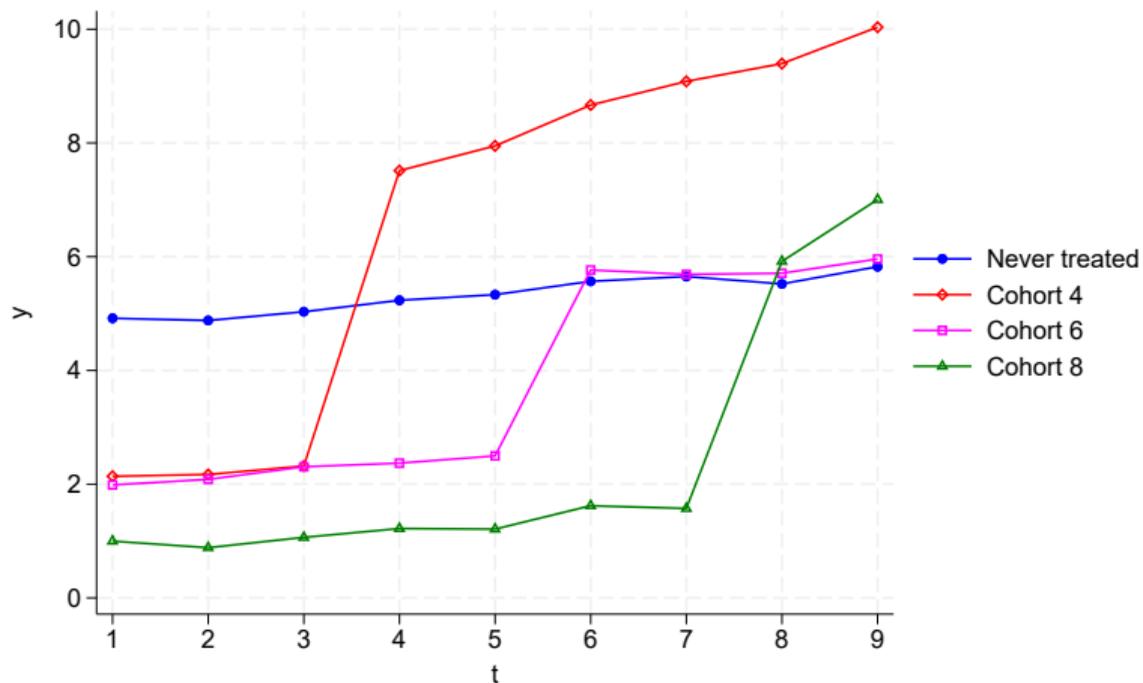
SHo

- The SHo estimator produces consistent ATET.



Staggered Difference-in-Differences

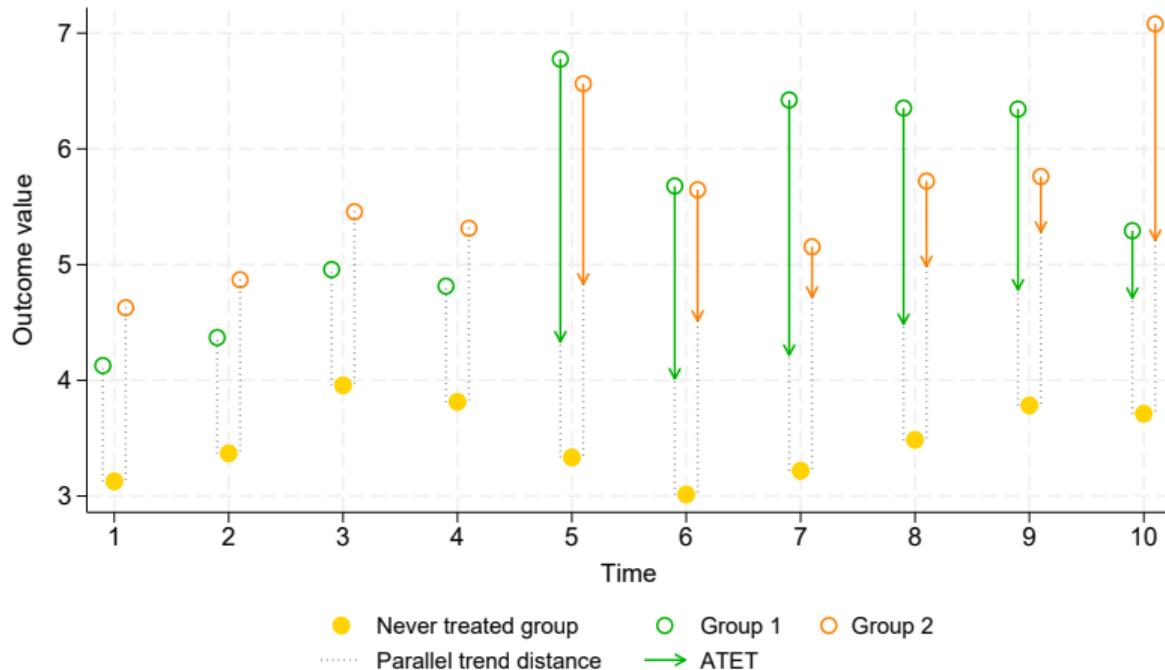
- The staggered difference-in-differences study design is common.



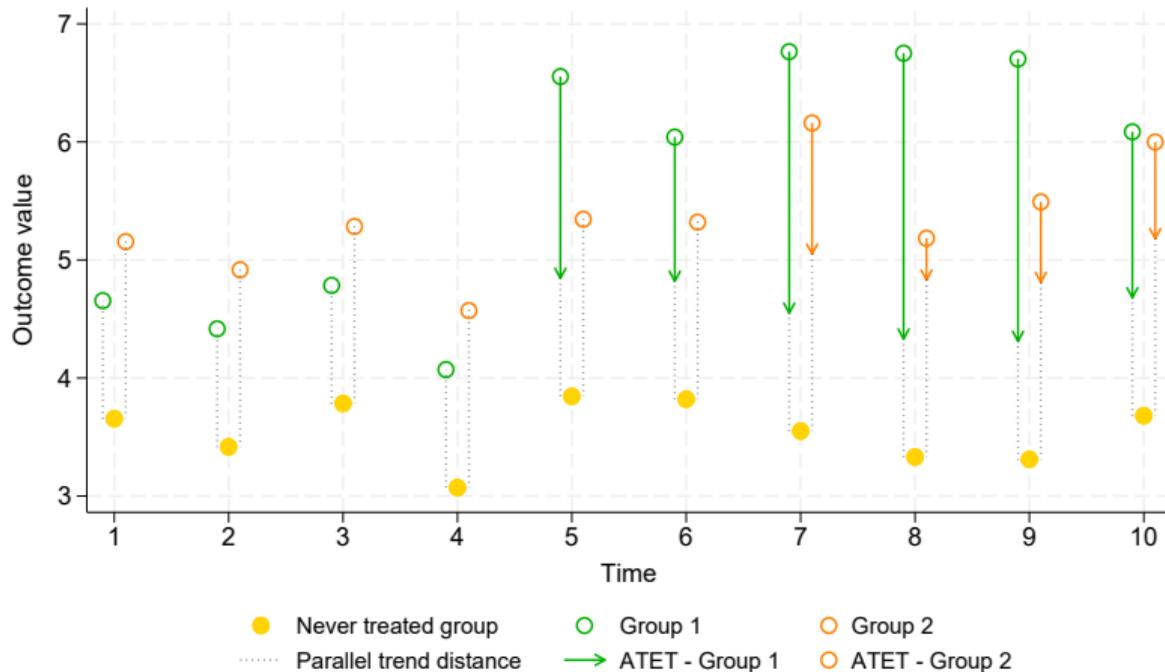
Staggered Difference-in-Differences

- SHo produces biased estimates of treatment effects when treatment is staggered over time and treatment effects are heterogeneous (e.g., de Chaisemartin and D'Haultfoeuille, 2020; Goodman-Bacon, 2021).
- Most approaches to resolve this issue require complex computation (Borusyak et al., 2024; Callaway and Sant'Anna, 2021; Cengiz et al., 2019; de Chaisemartin and D'Haultfoeuille, 2020; Sun and Abraham, 2021).
- They all involve estimators for heterogeneous treatment effects τ_{ct}
- They all involve an estimation step to produce estimates at the cohort \times time level and an aggregation step to calculate ATETs

Logic of Estimators for Heterogeneous Treatment Effects

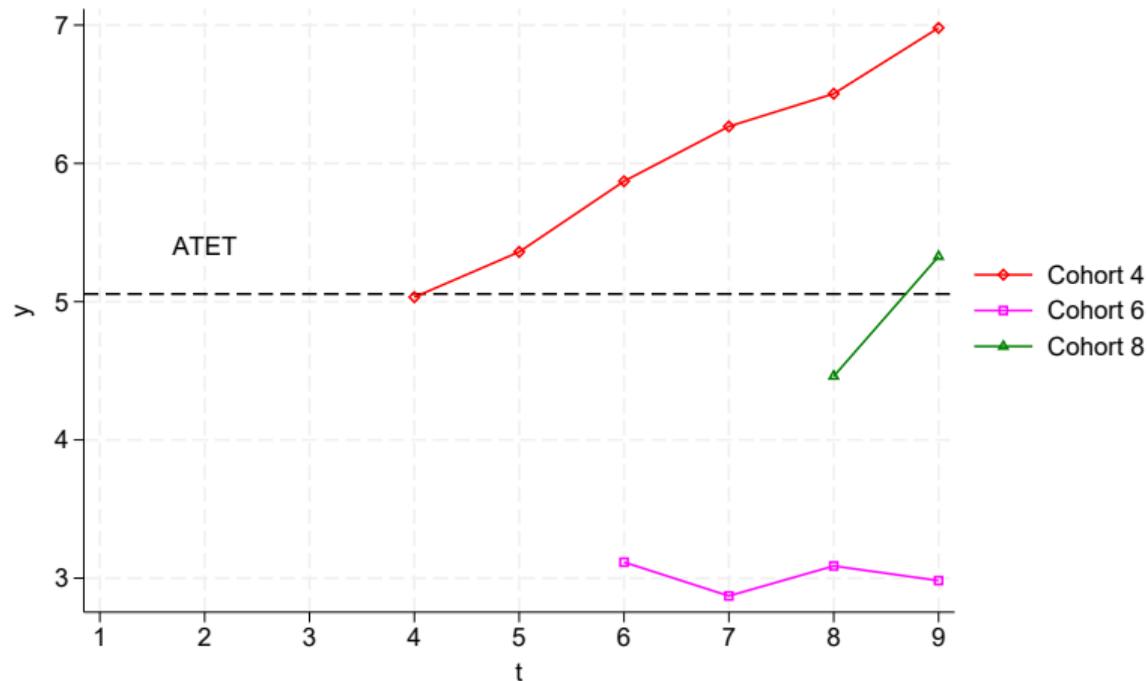


Logic of Estimators for Heterogeneous Treatment Effects



Estimators for Heterogeneous Treatment Effects

- Estimators that allow for heterogeneous treatment effects produce consistent ATET.



Research Agenda

- Deb et al. (2025) derive a Flexible Linear model with covariates (X) [FLEX] for DID designs.
- Like others, it estimates heterogeneous treatment effects and allows for staggered entry.
- Unlike most others, FLEX **formally** applies to repeated cross-sectional data.
- The linear-in-parameters specification can be estimated using **one OLS regression**.
- It delivers consistent estimates, allows for considerable functional form flexibility, and provides access to the OLS toolbox for inference and specification testing.

Research Agenda

- We prove that consistent estimates of group-time heterogeneous treatment effects can be obtained in the repeated cross-section setting using FLEX.
- First, we extend the imputation estimators approaches of Borusyak et al. (2024) and Wooldridge (2021) to allow for “event study” designs and repeated cross-sections.
- Second, we show that the estimates from this imputation estimator are identical to those from a flexible linear regression specification (FLEX).

Population Setting

- Fixed T time periods, indexed by $t = 1, 2, \dots, T$.
- The data contain never-treated population units.
- Treatment assignment is absorbing.
- Interventions occur at the group level: $g = 1, 2, \dots, G$.
- Let $c(g)$ denote the cohort: a subset of groups that is first treated at the same point in time.
- Each group belongs to only one cohort, while a cohort will often have more than one group.

Population Setting

- Let \bar{g} groups receive treatment by time period by time period T .
- Without loss of generality, let groups $g = 1, 2, \dots, \bar{g}$ index the treated groups ordered by their cohort membership.
- $c(1)$ denotes the first treated cohort and $c(\bar{g})$ denotes the last treated cohort.
- Never-treated groups are denoted as being “treated” at ∞ , i.e., $c(g) = \infty$ for $g = \bar{g} + 1, \dots, G$.

Assumption: SUTVA

Assumption (Stable Unit Treatment Value Assumption, SUTVA)

$$Y_{it}(g_1, \dots, g_{i-1}, g_i, g_{i+1}, \dots) = Y_{it}(g_i), t = 1, \dots, T,$$

where g_j is the group assignment for unit j .

- For each unit i in the population, the potential outcome depends only on unit i 's assignment and not on the assignment of the other units.
- SUTVA ensures that we observe one potential outcome for each unit i corresponding to i 's treatment assignment.
- It rules out spillover effects.

Assumption: NBC

Assumption (No Bad Controls, NBC)

For a $1 \times K$ vector of covariates $\{\mathbf{X}_t(g) : t = 1, \dots, T; g = 1, \dots, G\}$, which may be time-varying, the covariates are the same across all potential treatment assignments: $\mathbf{X}_t(g) = \mathbf{X}_t(\infty) = \mathbf{X}_t$ for all $g \in \{1, \dots, G\}$ and $t = 1, \dots, T$.

- NBC implies that the covariates vary exogeneously from the treatment status.
- Covariates do not change with the treatment assignment.
- We can include time-varying predictors of the outcome whose paths are not influenced by treatment.

Assumption: CNA

Assumption (Conditional No Anticipation, CNA)

For groups $g \in 1, 2, \dots, \bar{g}$ and $t \in \{1, \dots, c - 1\}$,

$$E[Y_t(g) | R_1, \dots, R_G, \mathbf{X}_t] = E[Y_t(\infty) | R_1, \dots, R_G, \mathbf{X}_t].$$

- Rules out anticipatory changes in the potential outcomes prior to the intervention.
- Rules out treatment assignment on the basis of pre-treatment outcome.

Assumption CPT

- Let $R_g \in R_1, \dots, R_{\bar{g}}, R_{\bar{g}+1}, \dots, R_G$ denote a binary group-membership indicator.
- Let $\{R_g\}^c$ denote the subset of groups in cohort c .
- Let $P_t \in P_1, P_2, \dots, P_T$ denote binary time-period indicators.

Assumption (Conditional Parallel Trends, CPT)

For $t = 1, 2, \dots, T$,

$$E[Y_t(\infty) | R_1, \dots, R_G, \mathbf{X}_t] = \sum_{g=1}^G \beta_g R_g + \sum_{g=1}^G (R_g \cdot \mathbf{X}_t) \mathbf{f}_g + \mathbf{X}_t \boldsymbol{\beta}_t + \eta_t.$$

- The CPT assumption assumes that, in the absence of treatment, the treated groups would change over time in the same way as the control groups.

Flexible Linear Estimator with X

Proposition (FLEX)

There is a linear-in-parameters regression specification that is identical to a consistent imputation estimator of the ATETs in a staggered Difference-in-differences design.

FLEX: Group-time Heterogeneity with Lags and Leads

$$E(Y_{it} | R_g, P_t, \mathbf{x}_{it}) = \sum_{g=1}^{\bar{g}} \sum_{t=q}^T \tau_{gt} R_g P_t$$

lags

$$+ \sum_{g=1}^G \beta_t R_g + \sum_{t=2}^T \eta_t P_t$$

- A *lags only* specification sets all pre-treatment effects = 0

FLEX: Group-time Heterogeneity with Lags and Leads

$$E(Y_{it} | R_g, P_t, \mathbf{x}_{it}) =$$

$$\sum_{g=1}^{\bar{g}} \sum_{t=q}^T \tau_{gt} R_g P_t$$

lags

$$+ \sum_{g=1}^{\bar{g}} \sum_{t=1}^{q-2} \tau_{gt} R_g P_t$$

leads

$$+ \sum_{g=1}^G \beta_t R_g + \sum_{t=2}^T \eta_t P_t$$

- A *lags only* specification sets all pre-treatment effects = 0
- A *lags and leads* specification sets only one base-period pre-treatment effects = 0

FLEX: Group-time Heterogeneity with Lags and Leads

$$\begin{aligned} E(Y_{it} | R_g, P_t, \mathbf{x}_{it}) = & \\ & \sum_{g=1}^{\bar{g}} \sum_{t=q}^T \tau_{gt} R_g P_t \quad \text{lags} \\ + & \sum_{g=1}^{\bar{g}} \sum_{t=1}^{q-2} \tau_{gt} R_g P_t \quad \text{leads} \\ + & \sum_{g=1}^G \beta_t R_g + \sum_{t=2}^T \eta_t P_t + \mathbf{x}_{it} \zeta \end{aligned}$$

- A *lags only* specification sets all pre-treatment effects = 0
- A *lags and leads* specification sets only one base-period pre-treatment effects = 0

FLEX: Group-time Heterogeneity with Lags and Leads

$$\begin{aligned} E(Y_{it} | R_g, P_t, \mathbf{x}_{it}) = & \\ & \sum_{g=1}^{\bar{g}} \sum_{t=q}^T \tau_{gt} R_g P_t + \sum_{g=1}^{\bar{g}} \sum_{t=q}^T R_g P_t \cdot \mathbf{x}_{it} \boldsymbol{\kappa}_{gt} \quad \text{lags} \\ & + \sum_{g=1}^{\bar{g}} \sum_{t=1}^{q-2} \tau_{gt} R_g P_t + \sum_{g=1}^{\bar{g}} \sum_{t=1}^{q-2} R_g P_t \cdot \mathbf{x}_{it} \boldsymbol{\kappa}_{gt} \quad \text{leads} \\ & + \sum_{g=1}^G \beta_t R_g + \sum_{t=2}^T \eta_t P_t + \mathbf{x}_{it} \boldsymbol{\zeta} + \sum_{g=1}^G R_g \cdot \mathbf{x}_{it} \boldsymbol{\gamma}_g + \sum_{t=1}^T P_t \cdot \mathbf{x}_{it} \boldsymbol{\pi}_t \end{aligned}$$

- A *lags only* specification sets all pre-treatment effects = 0
- A *lags and leads* specification sets only one base-period pre-treatment effects = 0

FLEX: Aggregating the Treatment Effects

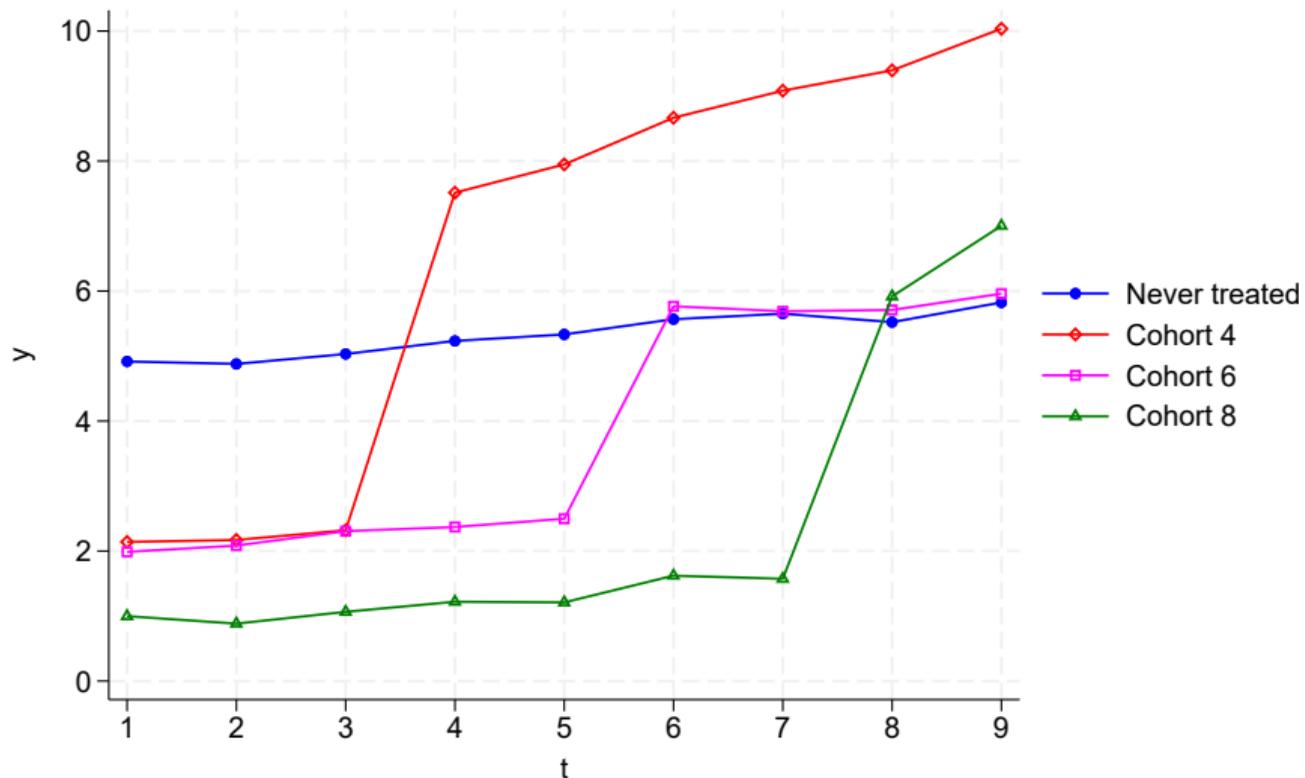
- Headline result is the grand aggregate

$$\tau = \frac{1}{N} \sum_{g=1}^{\bar{g}} \sum_{t=q}^T \sum_{i=1}^{n_{gt}} [\tau_{gt} (R_g P_t) + (R_g P_t \cdot \mathbf{x}_{it}) \kappa_{gt}]$$

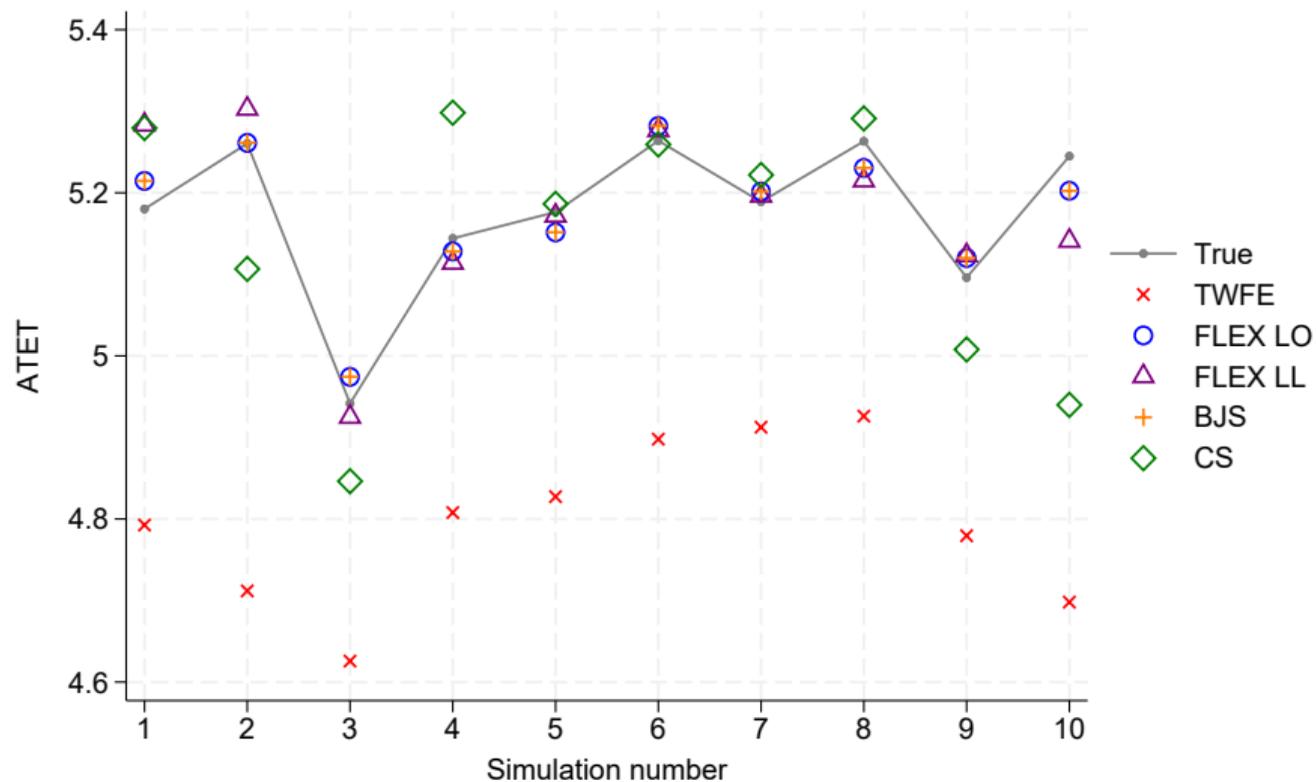
where n_{gt} is the number of observations in the g^{th} treated group in the t^{th} time period and $N = \sum_{g=1}^{\bar{g}} \sum_{t=q}^T n_{gt}$.

- But can also aggregate the effects to the cohort, or time or event-time level.

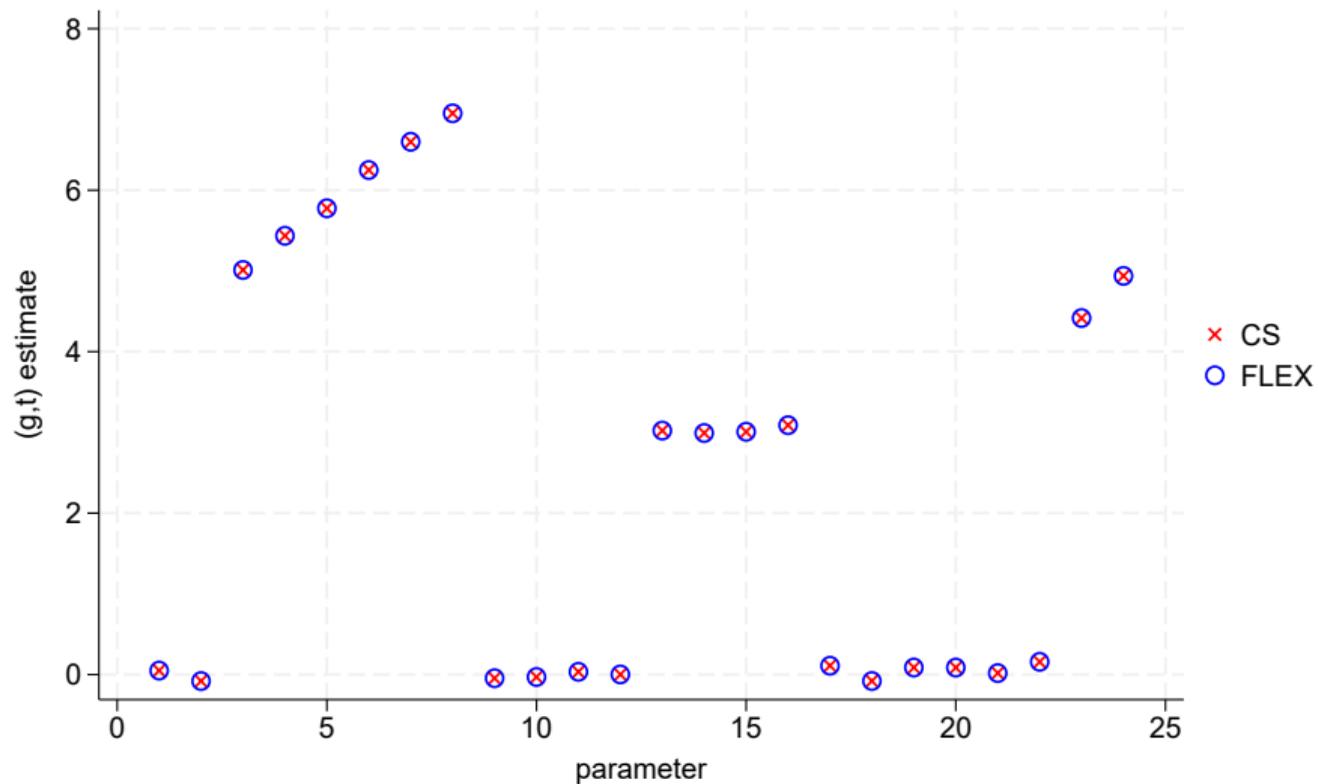
Simulation Evidence



Simulation Evidence



Simulation Evidence



FLEX Features

- FLEX(g,t) with lags only produces identical group-time ATETs as Borusyak et al. (2024).
- FLEX(c,t) with lags and leads and without covariates produces identical cohort-time ATETs as Callaway and Sant'Anna (2021).
- FLEX(c,t) with lags and leads and without covariates produces identical cohort-time ATETs as Sun and Abraham (2021).
- FLEX(c,t) with lags and leads and without covariates produces identical ATETs as ?.
- FLEX(g,t) can produce estimates that are identical to Cengiz et al. (2019) “stacked”.

Why Use FLEX

- Easy and transparent – one OLS regression.
- Can estimate models with (g, t) treatment coefficients – very important distinction if *treatment* is heterogeneous across g within c .
- Can estimate models with (c, t) treatment coefficients “mixed-and-matched” with g and t fixed effects.
- FLEX handles covariates in a very general (flexible) way
- Can choose whether to interact all or some X s for flexibility – or be traditional and allow for only additive X .

Why Use FLEX

- Once the model is estimated, it's straightforward to calculate any ATET of interest
 - e.g., suppose one believes that ATET might vary by gender.
 - FLEX specifies gender to be fully interacted.
 - Aggregate up to an ATET for each value of gender.
- Can handle “unbalanced” data – missing geographic units in some time periods or some missing time periods.
- FLEX can be extended to allow for multiple staggered treatments.
- FLEX can be extended to allow for non-absorbing treatment (theory needs development).

FLEX Implementation

- It's really just an OLS regression `regress` in Stata
- Then, if you are a Stata user, `margins` is your friend.
- Implementation: Stata package `flexdid`
- `flexdid bmi, tx(hhabit) group(schools) time(year)`
- `estat atet, byexposure`

Empirical Example: Medicaid Expansion

- Question: What is the effect of Medicaid expansions on earnings of low income / low education Americans?
- Before the Patient Protection and Affordable Care Act (ACA), millions of Americans lacked access to health insurance.
- The ACA was designed to reduce the number of uninsured Americans.
- One of the ACA's provisions was to expand Medicaid eligibility.

Empirical Example: Medicaid Expansion

- Medicaid is a government program that provides health insurance to:
 - low income adults (below the poverty line)
 - pregnant women
 - children
- The expansion increased Medicaid coverage eligibility to include nearly all adults with income up to 138% of the federal poverty level.
- Following a 2012 Supreme Court ruling, states could decide whether to implement the, formerly required, expansion.

Empirical Example: Medicaid Expansion

chrt	Freq.	Percent	Cum.
0	10	19.61	19.61
2014	27	52.94	72.55
2015	3	5.88	78.43
2016	2	3.92	82.35
2019	2	3.92	86.27
2020	3	5.88	92.16
2021	2	3.92	96.08
2023	2	3.92	100.00
Total	51	100.00	

Default Specification: Overall ATET

```
. flexdid lrearnings, tx(expansion) group(statefips) time(year)
```

Note: Variables `_Cohort` containing cohort identifiers and `_Tx` containing lags and leads treatment indicators, were added to the dataset.

Estimating lags only regression parameters

Aggregating estimates

Overall ATET

Number of obs = 150,029

Subpop. no. obs = 60,279

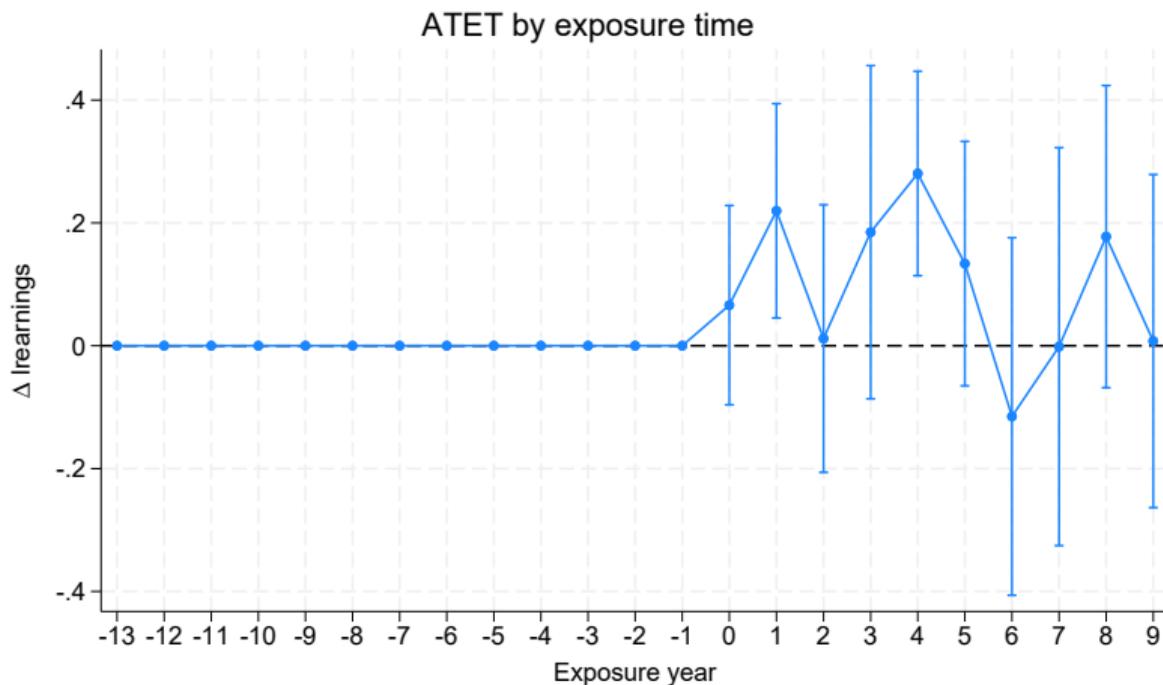
(Std. err. adjusted for 51 clusters in statefips)

	Unconditional				
lrearnings	ATET	std. err.	t	P> t	[95% conf. interval]
Overall	.1069776	.075091	1.42	0.160	-.043847 .2578022

Note: Linearization is used to calculate the standard error of ATET

Default Specification: ATET By Exposure Time

```
. estat atet, byexposure
```



Default Specification: Overall ATET(0-5)

```
. estat atet, overall(0/5)
```

Overall ATET

Number of obs = 150,029

Subpop. no. obs = 42,640

(Std. err. adjusted for 51 clusters in statefips)

	Unconditional					
lrearnings	ATET	std. err.	t	P> t	[95% conf. interval]	

Overall	.1445832	.0672767	2.15	0.036	.0094539	.2797125

Note: Linearization is used to calculate the standard error of ATET

Lags and Leads Specification: Overall ATET

```
. flexdid lrearnings, tx(expansion) group(statefips) time(year) specification(lagsandleads)
```

Estimating lags and leads regression parameters

Aggregating estimates

Overall ATET

Number of obs = 150,029

Subpop. no. obs = 60,279

(Std. err. adjusted for 51 clusters in statefips)

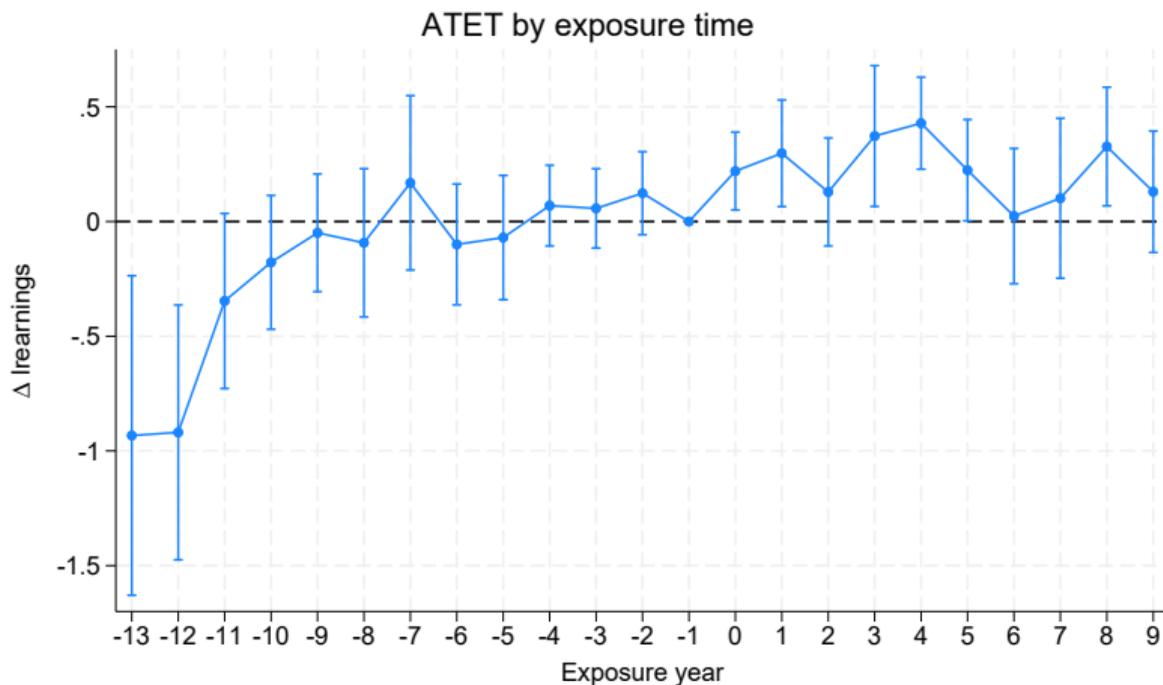
	Unconditional					
lrearnings	ATET	std. err.	t	P> t	[95% conf. interval]	

Overall	.2368825	.077851	3.04	0.004	.0805141	.3932508

Note: Linearization is used to calculate the standard error of ATET

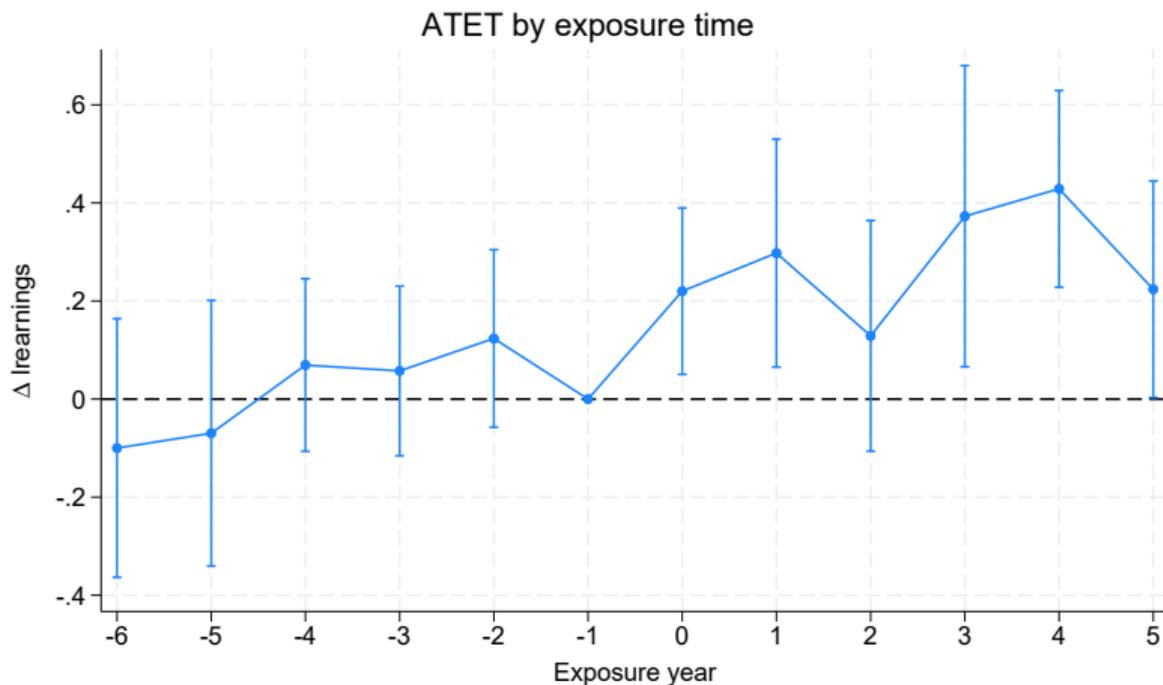
Lags and Leads Specification: ATET By Exposure Time

```
. estat atet, byexposure
```



Lags and Leads Specification: ATET By Exposure Time (-6 - 5)

```
. estat atet, byexposure(-6(1)5)
```



Cohorts As Groups

- Sometimes there might be too many treated groups.
- Users can legitimately combine groups into cohorts.

```
. egen chrt = min(year/expansion), by(statefips)
. replace chrt = 0 if chrt==.
. egen unique = tag(statefips)
. tab chrt if unique
```

chrt	Freq.	Percent	Cum.
0	10	19.61	19.61
2014	27	52.94	72.55
2015	3	5.88	78.43
2016	2	3.92	82.35
2019	2	3.92	86.27
2020	3	5.88	92.16
2021	2	3.92	96.08
2023	2	3.92	100.00
Total	51	100.00	

Cohorts As Groups

```
. flexdid lrearnings, tx(expansion) group(chrt) time(year) specification(lagsandleads)  
vce(cluster statefips)
```

Estimating lags and leads regression parameters

Aggregating estimates

Overall ATET

Number of obs = 150,029

Subpop. no. obs = 60,279

(Std. err. adjusted for 51 clusters in statefips)

	Unconditional					
lrearnings	ATET	std. err.	t	P> t	[95% conf. interval]	

Overall	.2287087	.0721785	3.17	0.003	.0837339	.3736834

Note: Linearization is used to calculate the standard error of ATET

Incorporating Covariates: Fully Interacted

```
. flexdid lrearnings age i.female i.black i.hisp, tx(expansion) group(chrt) time(year)
specification(lagsandleads) vce(cluster statefips)
```

Estimating lags and leads regression parameters

Aggregating estimates

Overall ATET

Number of obs = 150,029

Subpop. no. obs = 60,279

(Std. err. adjusted for 51 clusters in statefips)

	Unconditional					
lrearnings	ATET	std. err.	t	P> t	[95% conf. interval]	

Overall	.1665959	.0763445	2.18	0.034	.0132534	.3199383

Note: Linearization is used to calculate the standard error of ATET

Moderating Effects of Covariates

```
. estat atet, overall for(female==0)
```

```
Overall ATET for female==0
```

```
Number of obs   = 150,029
```

```
Subpop. no. obs = 31,053
```

```
(Std. err. adjusted for 51 clusters in statefips)
```

		Unconditional				[95% conf. interval]	
lrearnings	ATET	std. err.	t	P> t			
Overall	.2600832	.1248745	2.08	0.042	.0092655	.510901	

```
Note: Linearization is used to calculate the standard error of ATET
```

Moderating Effects of Covariates

```
. estat atet, overall for(female==1)
```

```
Overall ATET for female==1
```

```
Number of obs   = 150,029
```

```
Subpop. no. obs = 29,226
```

```
(Std. err. adjusted for 51 clusters in statefips)
```

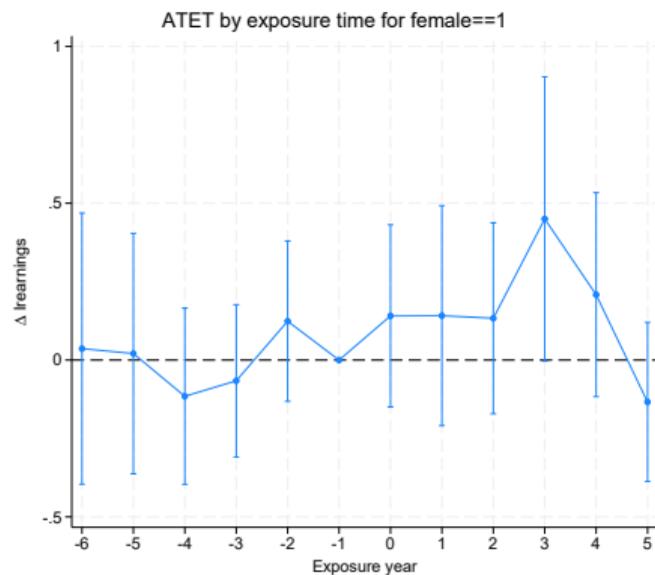
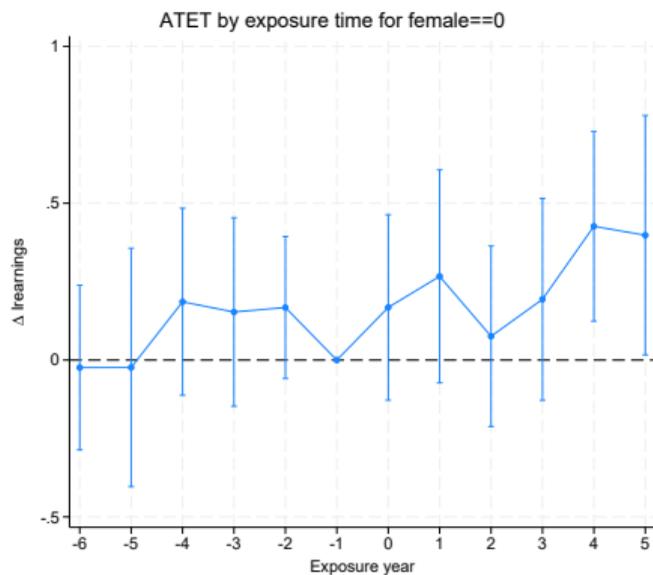
```
-----
```

	Unconditional				
lrearnings	ATET	std. err.	t	P> t	[95% conf. interval]
Overall	.0672643	.1062511	0.63	0.530	-.1461472 .2806758

```
-----
```

```
Note: Linearization is used to calculate the standard error of ATET
```

Moderating Effects of Covariates: Exposure by Gender



Incorporating Some Covariates Additively

```
. flexdid lrearnings i.female age i.black i.hisp, tx(expansion) group(chrt) time(year)  
> specification(lagsandleads) vce(cluster statefips) xnotinteracted(i.statefips)
```

Estimating lags and leads regression parameters

Aggregating estimates

Overall ATET Number of obs = 150,029
Subpop. no. obs = 60,279

(Std. err. adjusted for 51 clusters in statefips)

	Unconditional					
lrearnings	ATET	std. err.	t	P> t	[95% conf. interval]	

Overall	.1727859	.0782796	2.21	0.032	.0155568	.3300151

Note: Linearization is used to calculate the standard error of ATET

Testing: Parallel Trends

```
. estat atet, byexposure(-10/-2) test(zero) nograph
```

Exposure	Unconditional ATET	std. err.	t	P> t	[95% conf. interval]	
-10	.1266767	.139007	0.91	0.367	-.1525271	.4058806
-9	.1442811	.131073	1.10	0.276	-.1189868	.407549
-8	.040485	.1599236	0.25	0.801	-.2807309	.361701
-7	.2489863	.2193707	1.14	0.262	-.1916326	.6896052
-6	.004129	.1500828	0.03	0.978	-.2973212	.3055793
-5	-.0021978	.1540734	-0.01	0.989	-.3116633	.3072676
-4	.0369063	.1113521	0.33	0.742	-.186751	.2605636
-3	.0460204	.0981213	0.47	0.641	-.1510621	.243103
-2	.1466701	.0962412	1.52	0.134	-.0466361	.3399762

Test of zero ATET by exposure time

H0: All effects are equal to zero

F(9,50) = 0.941

Prob > F = 0.4990

Testing: All Exposure-Time Effects Equal Zero

```
. estat atet, byexposure(0/5) test(zero) nograph
```

Exposure	Unconditional ATET	std. err.	t	P> t	[95% conf. interval]
0	.1550539	.0931411	1.66	0.102	-.0320256 .3421333
1	.2066248	.1093272	1.89	0.065	-.0129654 .426215
2	.1036512	.1093589	0.95	0.348	-.1160027 .323305
3	.3178993	.1476945	2.15	0.036	.0212462 .6145524
4	.3210538	.1081205	2.97	0.005	.1038874 .5382201
5	.1364478	.1163792	1.17	0.247	-.0973067 .3702023

Test of zero ATET by exposure time

H0: All effects are equal to zero

F(6,50) = 2.094

Prob > F = 0.0704

Testing: All Exposure-Time Effects Equal to Each Other

```
. estat atet, byexposure(0/5) test(equal) nograph
```

Exposure	Unconditional ATET	std. err.	t	P> t	[95% conf. interval]	
0	.1550539	.0931411	1.66	0.102	-.0320256	.3421333
1	.2066248	.1093272	1.89	0.065	-.0129654	.426215
2	.1036512	.1093589	0.95	0.348	-.1160027	.323305
3	.3178993	.1476945	2.15	0.036	.0212462	.6145524
4	.3210538	.1081205	2.97	0.005	.1038874	.5382201
5	.1364478	.1163792	1.17	0.247	-.0973067	.3702023

Test of equal ATET by exposure time

H0: Effects are equal to each other

F(5,50) = 1.726

Prob > F = 0.1458

Model Comparisons: FLEX v BJS

```
. flexdid llearnings, tx(expansion) group(chrt) time(year) vce(cluster statefips)
```

```
-----  
                |                Unconditional  
llearnings |                ATET    std. err.    t    P>|t|    [95% conf. interval]  
-----+-----  
Overall |    .0997027    .0704622    1.41    0.163    -.0418248    .2412302  
-----
```

```
. generate bjs_cohort = chrt if chrt>0
```

```
. did_imputation llearnings chrt year bjs_cohort, autosample nose
```

```
-----  
llearnings | Coefficient  
-----+-----  
tau |    .0997028  
-----
```

Model Comparisons: FLEX v CS

```
. estat atet, byget
```

		Unconditional						
G	X ET	ATET	std. err.	t	P> t	[95% conf. interval]		
2014	-4	.0761119	.1031356	0.74	0.464	-.1310421	.2832659	
2014	-3	.0856383	.1002264	0.85	0.397	-.1156724	.2869489	
2014	-2	.1868649	.1112851	1.68	0.099	-.0366579	.4103876	
2014	0	.23539	.1273022	1.85	0.070	-.020304	.4910841	
2014	1	.3248227	.1341705	2.42	0.019	.0553334	.594312	
2014	2	.0804945	.1290368	0.62	0.536	-.1786836	.3396727	
...								
2014	7	.0529823	.1799295	0.29	0.770	-.3084167	.4143813	
2014	8	.3678854	.143674	2.56	0.014	.0793077	.656463	
2014	9	.127444	.1245521	1.02	0.311	-.1227264	.3776143	

Model Comparisons: FLEX v CS

```
. hdidregress ra (lrearnings) (expansion), group(statefips) time(year) basetime(common)
```

Cohort	ATET	Robust std. err.	z	P> z	[95% conf. interval]	
2014						
year						
2010	.0761119	.1020817	0.75	0.456	-.1239645	.2761883
2011	.0856383	.0992022	0.86	0.388	-.1087945	.280071
2012	.1868649	.1101479	1.70	0.090	-.0290211	.4027509
2014	.23539	.1260014	1.87	0.062	-.0115681	.4823481
2015	.3248227	.1327994	2.45	0.014	.0645407	.5851048
2016	.0804945	.1277182	0.63	0.529	-.1698286	.3308177
2017	.3659197	.173268	2.11	0.035	.0263207	.7055186
...						
2021	.0529823	.1780908	0.30	0.766	-.2960693	.4020339
2022	.3678854	.1422058	2.59	0.010	.0891671	.6466036
2023	.127444	.1232794	1.03	0.301	-.1141791	.3690671

Model Comparisons: FLEX v CS

```
. flexdid lrearnings, tx(expansion) group(chrt) time(year) vce(cluster statefips) specif  
> ication(lagsandleads)
```

```
-----  
                |                Unconditional  
lrearnings |                ATET    std. err.    t    P>|t|    [95% conf. interval]  
-----+-----  
Overall |    .2287087    .0721785    3.17    0.003    .0837339    .3736834  
-----
```

```
. hdidregress ra (lrearnings) (expansion), group(statefips) time(year) basetime(common)  
. estat aggregation
```

```
-----  
                |                Robust  
lrearnings |                ATET    std. err.    z    P>|z|    [95% conf. interval]  
-----+-----  
expansion |  
(1 vs 0) |    .2236172    .0730612    3.06    0.002    .0804198    .3668146  
-----
```

Note: Aggregation weights vary across times and cohorts.

Model Comparisons: FLEX v dCdH

```
. flexdid lrearnings, tx(expansion) group(chrt) time(year) vce(cluster statefips) specif  
> ication(lagsandleads)
```

	Unconditional					
lrearnings	ATET	std. err.	t	P> t	[95% conf. interval]	
Overall	.2287087	.0721785	3.17	0.003	.0837339	.3736834

```
. did_multipligt (dyn) lrearnings chrt year expansion, effects(10) graph_off only_never_  
> switchers
```

Average cumulative (total) effect per treatment unit

	Estimate	SE	LB CI	UB CI	N	Switch
Av_tot_eff	.2287088	.2132257	-.1892058	.6466234	86787	60279

Thank you